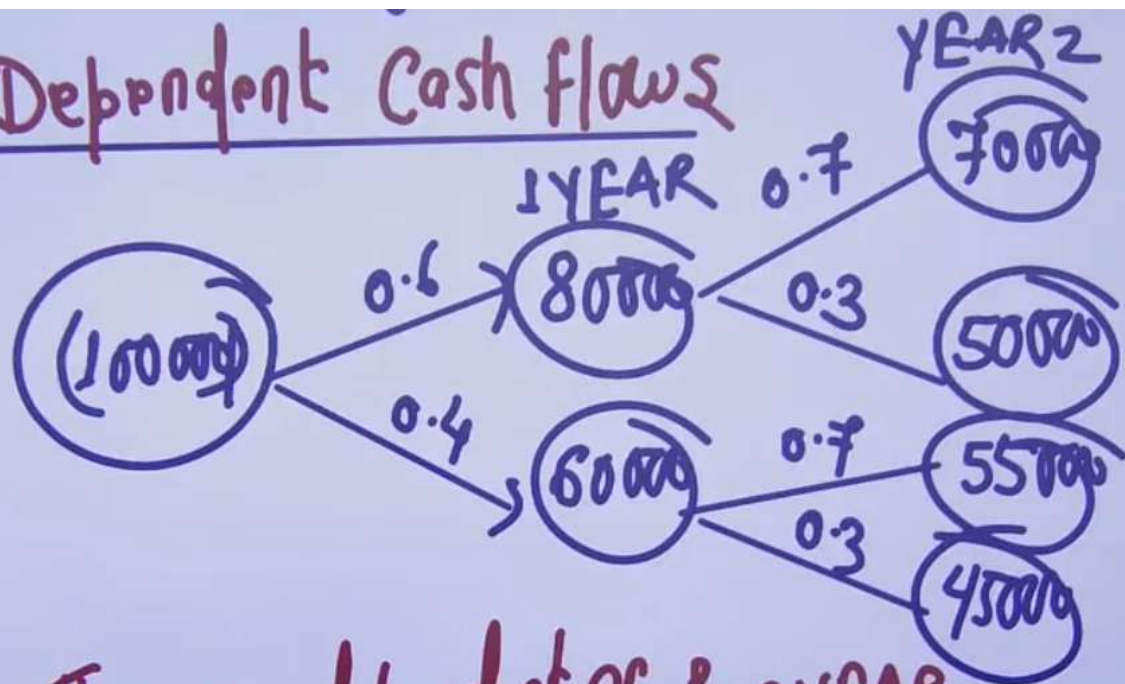
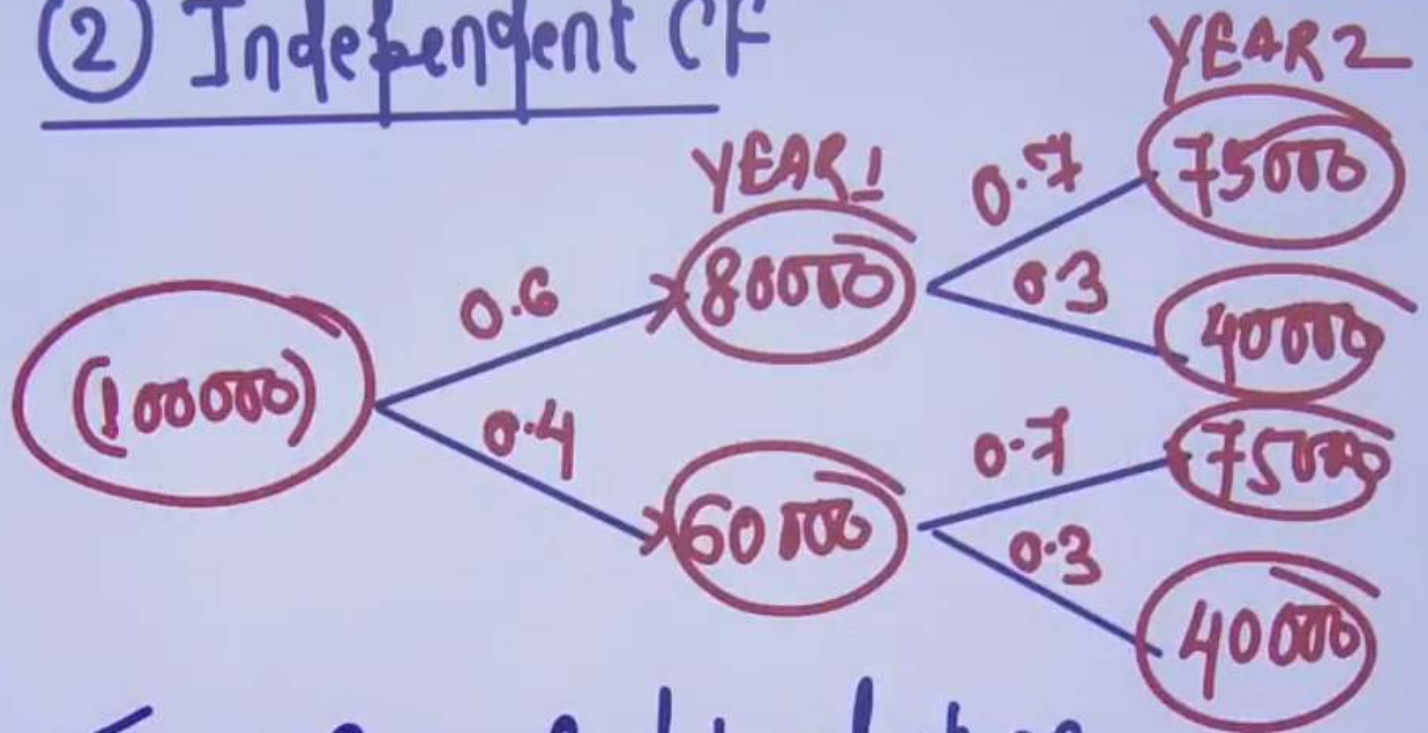


(i) Dependent Cash flows

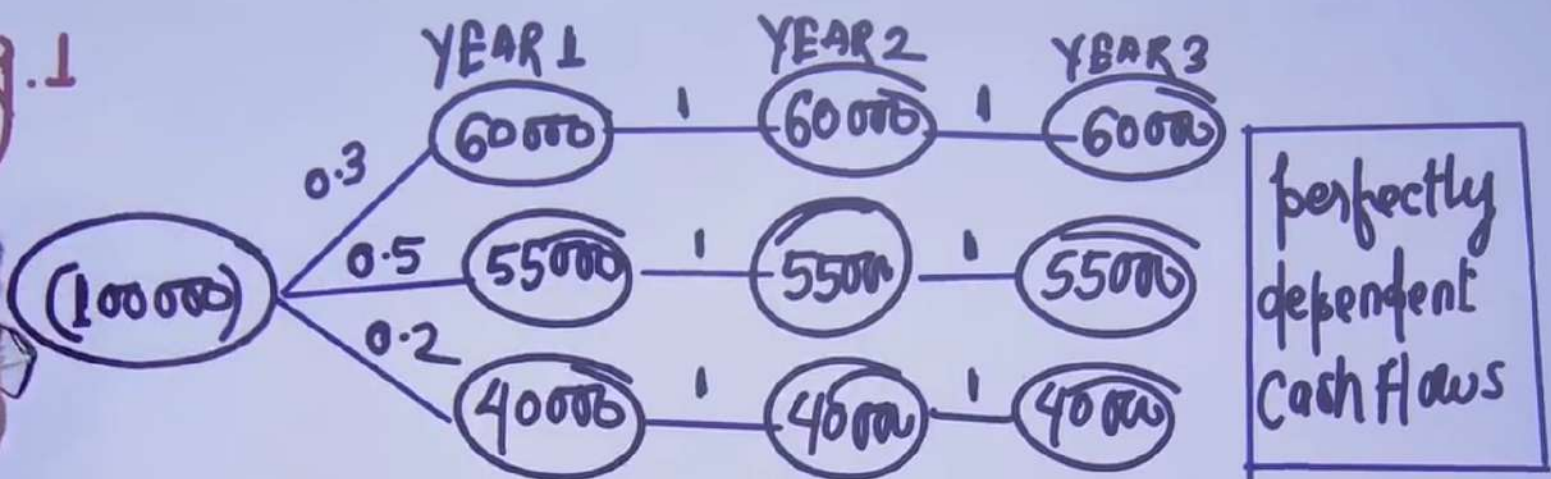


These are dependent CF & 2 YEAR
CF depends on 1st YEAR CF

② Independent CF



These CF are independent CF
Because 2nd YEAR CF does not depend
on 1st YEAR CF.



Discounting Rate = 10%

① Calculate NPV

② Calculate standard deviation in NPV

① Expected NPV

NPV

$$\text{Path I} = (60000 \times 2.487) - 100000 = 49220$$

$$\text{Path II} = (55000 \times 2.487) - 100000 = 36785$$

$$\text{Path III} = (40000 \times 2.487) - 100000 = -520$$

$$\begin{aligned} \text{Expected NPV} &= (49220 \times 0.3) + (36785 \times 0.5) \\ &\quad + (-520 \times 0.2) = 33055 \end{aligned}$$

$$\begin{aligned} \text{Standard deviation} &= \sqrt{(49220 - 33055)^2 \times 0.3 + (36785 - 33055)^2 \times 0.5} \\ &\quad + (-520 - 33055)^2 \times 0.2 \\ &= 17630 \end{aligned}$$

HERTZ Model

HERTZ Model is used to calculate standard deviation in NPV when Cash Flows are perfectly dependent

How to calculate

Standard deviation of CF.

$$1 \text{ YEAR} = \sqrt{(60000 - 53500)^2 \cdot 0.3 + (55000 - 53500)^2 \cdot 0.5 + (40000 - 53500)^2 \cdot 0.2} = 7089$$

$$2 \text{ YEAR} = 7089$$

$$3 \text{ YEAR} = 7089$$

FORMULA

$$\begin{aligned} \sigma_{NPV} &= \frac{\sigma_{CF_1}}{(1+r)^1} + \frac{\sigma_{CF_2}}{(1+r)^2} + \frac{\sigma_{CF_3}}{(1+r)^3} \\ &= \frac{7089}{(1.10)^1} + \frac{7089}{(1.10)^2} + \frac{7089}{(1.10)^3} = 17630 \end{aligned}$$